## eExam Question Bank

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| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $\square$ | FBQ | If $A$ is a set with $m \epsilon N$ <br> elements and $C \subseteq A$ <br> is a set with 2 elements, then AIC has how many elements | m-2 |  |  |  |  | eExam |
| $\square$ | FBQ | $\$ \$ 5^{\wedge}\{2 n\}-1 \$ \$$ is divisible by $\square$ for all \$\$ nlepsilon N\$\$ | 8 |  |  |  |  | eExam |
| $\square$ | FBQ | $\begin{aligned} & \$ \$ n^{\wedge}\{3\}+(n+1)^{\wedge}\{3\}+ \\ & (n+2)^{\wedge}\{3\} \$ \$ \text { is divisible by } \end{aligned}$ <br> for all \$\$ nlepsilon N\$\$ | 9 |  |  |  |  | eExam |
| $\square$ | FBQ | Find all natural numbers $n$ such that $\$ \$ n^{\wedge}\{2\}<2^{\wedge}\{n\} \$ \$$ will be true | 1 |  |  |  |  | eExam |
| $\square$ | FBQ | Let $\$ \$ g(x):=x^{\wedge}\{2\} \$ \$$ \$\$f(x):=x+2\$\$ for \$\$xlepsilon R\$\$ and let h be the composite function $\mathrm{h}:=\mathrm{g}$ of What is the inverse image $\$ \$ h^{\wedge}\{-1\}(G) \$ \$$ of \$\$G:= \eft $\backslash\{x$ lepsilon $R$ : 0 lleq x lleq 4 \right |  |  |  |  |  |  |
| $\$\$ }$ $\square$ | [-4, 0] |  |  |  |  | eExam |  |  |
| $\square$ | FBQ | Let \$ A:=B:= \left \} <br> \{xlepsilon R:-1 \eq x Veq 1 lright $\backslash\} \$ \$$ and consider the subset $\$ \$ \mathrm{C}:=\backslash$ left $\backslash\left\{x^{\wedge}\{2\}+\right.$ $y^{\wedge}\{2\}=1$ right $\left.\backslash\right\} \$ \$$ of $A \times B$. is this set a function? Yes or No | No |  |  |  |  | eExam |
| $\square$ | MCQ | The property of a natural numbers which states that every nonempty subset of a natural number has a least element is termed | Divergent | Convergent | dynamic | Wellordering | D | eExam |


| $\square$ | MCQ | Calculate the value of summation <br> \$\$\|sum_\{2\}^\{linfty\} \left (2/7 <br> \|right $)^{\wedge}\{n\} \$ \$$ | 4/35 | 13/24 | 5/36 | 15/32 | A | eExam |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $\square$ | MCQ | Given sequences $\$ \$$ left (1Veft ( -1 lright $)^{\wedge}\{n\}+1 / n$ lright ) $\$ \$$ and (ii) $\$ \$$ left (sin nlpi/4 lright )\$\$. Which of the following is/are true about the two sequences | both sequence are convergent | (i) converge and the(ii) diverge | both sequence are not well defined | both sequence are divergent | D | eExam |
| $\square$ | MCQ | find all $\$ \$ \times$ lepsilon $\mathrm{R} \$ \$$ that satisfy the inequality 4 $<\|x+2\|+\|x-1\|<5$ | $\$ \$ 1$ left $\backslash\{x$ : <br> $-3<x<-5 / 2$ <br> or $3 / 2<x<$ <br> 2 right 1$\} \$ \$$ | $\begin{aligned} & \$ \$ 1 \text { left } \backslash\{x: \\ & -4<x<-7 / 2 \\ & \text { or } 3 / 2<x< \\ & 2 \text { \|right } 1\} \$ \$ \end{aligned}$ | $\begin{aligned} & \$ \$ \backslash \text { left } \backslash\{x: \\ & -3<x<-5 / 2 \\ & \text { or- } 6<x< \\ & 1 \text { \|right } \backslash\} \$ \$ \end{aligned}$ | $\begin{aligned} & \text { \$\$Vleft \\ { } } \\ {\mathrm{x}:-8<\mathrm{x}} \\ {<-5 \text { or } 3 / 2} \\ {<x<3} \\ {\text { \right l\}\$\$ }} \end{aligned}$ | A | eExam |
| $\square$ | MCQ | Find all $\$ \$ x$ lepsilon $R \$ \$$ satisfying $\|x-1\|>\|x+1\|$ | $x>0$ | $x<0$ | $\mathrm{x}=0$ | $\mathrm{x}=2$ | B | eExam |
| $\square$ | MCQ | Find all real numbers x that satisfy the following inequality $\$ \$ x^{\wedge}\{2\}>3 x+4$ \$\$. | $\$ \$ 1$ left $\backslash\{x$ : <br> $x>4$ or $x>$ <br> 1 \|right <br> $\$\$ }$ | $\begin{aligned} & \$ \$ \text { left } \backslash\{x: \\ & x>4 \text { or } x \\ & <2 \text { right } \\ & 1\} \$ \$ \end{aligned}$ | $\$ \$ 1$ left $\backslash\{x$ : <br> $\mathrm{x}<4$ or x > <br> -1 \right } <br> 13\$\$ | $\$ \$ 1$ left $\backslash\{$ <br> $x: x>4$ <br> or $x>-1$ <br> \|right l\}\$\$ | D | eExam |
| $\square$ | MCQ | Given that $\$ \$ \mathrm{~S}:=$ \left } \backslash \{ 1  -  <br> $(-1)^{\wedge}\{n\} / n$ : nlepsilon $N$ right l\}\$\$, find inf S | 1/2 | 2/3 | 1 | 2 | A | eExam |
| $\square$ | MCQ | Find the inf $S$, given that \$\$left |  |  |  |  |  |  |
| { x lepsilon R: x Igeq } 0 right $\backslash\} \$$ | 1 | 2 | 0 | 4 | C | eExam |  |  |
| $\square$ | MCQ | The first five terms of the inductively defined $\begin{aligned} & \text { sequence } \$ \$ z \_\{1\}:=1 \$ \$, \\ & \$ \$ z \_\{2\}:=2 \$ \$, \$ \$ z \_\{n+2\}:=( \\ & \left.z \_\{n+1\}+z \_\{n\}\right) /\left(z \_\{n+1\}-\right. \\ & \left.z \_\{n\}\right) \$ \$ \end{aligned}$ | 1,3,4,5,7 | 0,2,4,6,8 | 3,4,6,7,9 | 1,2,3,5,4 | D | eExam |
| $\square$ | MCQ | Find the first four terms of the sequence ( $\mathrm{x} \_\{\mathrm{n}\}$ ) is defined by: $\$ \$ \times\{n\}:=1+$ $(-1)^{\wedge}\{n\} \$ \$$ | 0,2,0,2 | 1,3,0,4 | 3,5,7,9 | 1,2,5,6 | A | eExam |
| $\square$ | MCQ | lim \$\$left ( $\mid$ frac\{lsqrt\{n\}-1\} \{lsqrt\{n\}+1\} lright )\$\$ | 0 | 3 | 1 | 5 | C | eExam |
| $\square$ | MCQ | Let $\$ \$$ S: Veft $\backslash\{1,2$ right l\}\$\$ and \$\$T : Veft |  |  |  |  |  |  |
| { a, b, c } \|right $\backslash\} \$ \$$. Determine the number of different injections from $S$ into $T$ | 6 | 10 | 4 | 7 | A | eExam |  |  |


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| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $\square$ | MCQ | Suppose that S and T are sets and that \$\$T Isubseteq S $\$ \$$, which of the following is/are 'true? (i) If S is a finite set, then T is a finite set. (ii) If T is an infinite set, then S is an infinite set, (iii) If $S$ is a finite set, then T is a infinite set. (iv) If T is an infinite set, then $S$ is a finite set | (i) and (iii) | (ii) and (iv) | (iii) and (iv) | (i) and (ii) | D | eExam |
| $\square$ | MCQ | If $A$ is a set with $m$ elements and $B$ is a set with $n$ elements and if \$\$Alcap $B=$ lphi\$\$, how many elements is in \$\$Alcup B\$\$. | mn | $\mathrm{m}+\mathrm{n}$ | m-n | 2 mn | B | eExam |
| $\square$ | MCQ | $\$ \$ 5^{\wedge}\{n\}-4 n-1 \$ \$$ is divisible by $\qquad$ for all \$\$ nlepsilon N\$\$ | 12 | 15 | 16 | 23 | C | eExam |
| $\square$ | MCQ | Find all natural numbers $n$ such that $\$ \$ n^{\wedge}\{2\}<2^{\wedge}\{n\} \$ \$$ will be false | 2,3,4 | 1,2,3 | 1,3,4 | 1,5,7 | A | eExam |
| $\square$ | MCQ | Given that $\$ \$$ a, blepsilon $R \$ \$$ with $a<b$, find an explicit bijection of \$\$A:= Veft $\backslash\{x: a<x<b$ \right } \ \} \$ \$ onto $\$ \$ B$ : $=$ left $\backslash\{y: 0<y<1$ lright l\}\$\$ | $\begin{aligned} & f(x):=(x- \\ & a) /(b) \end{aligned}$ | $\begin{aligned} & f(x):=(x- \\ & a) /(b-a) \end{aligned}$ | $\begin{aligned} & f(x):= \\ & (\mathrm{a}) /(\mathrm{b}-\mathrm{a}) \end{aligned}$ | $f(x):=a / b$ | B | eExam |
| $\square$ | MCQ | Let $\$ \$ g(x):=x \wedge\{2\} \$ \$$ and $\$ \$ f(x):=x+2 \$ \$$ for <br> \$\$xlepsilon $\mathrm{R} \$ \$$, and let $h$ be the composite function $\mathrm{h}:=\mathrm{g}$ of. What is the direct image $h(E)$ of $\$ \$ E:=\$ left $\backslash\{x$ lepsilon R: 0 leq $x$ lleq 1 lright <br> $\$ \$ }$ $\qquad$ $\qquad$ | [3,7] | [2,9] | [-5,8] | [4,9] | D | eExam |
| $\square$ | MCQ | Given that $x, y, z$ be any element of $R$, which of the following assertion is/are correct (i) if $z!=0$, then $\$ \$ z^{\wedge}\{2\}>0 \$ \$$, (ii) if $x>y$, then $x+z>=y+z$ (iii) if $x>z$, and $y>0$, then $x y>y z$ | (i) and (iii) | (ii) and (iii) | (i) and (ii) | only (iii) | A | eExam |
| $\square$ | MCQ | If $y$ and $x$ are elements in $R$ with $y+x=x$, implies $y=0$, and we are able to show that $y=y+0=y+(x+(-x))=(y+x)+$ $(-x)=x+(-x)=0$, which of the following is establish by the mathematical statement? | the <br> uniqueness of element <br> x | negativity | the <br> uniqueness <br> of element <br> y | positivity | C | eExam |

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