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	Question Type 👢	Question	J1	A	
	FBQ	The real part of an analytic function is		harmonic	
	FBQ	If f is differentiable for all points in an open disk centered at		holomorp	
		z_0			
		then f is			
	FBQ	If an analytic function is smooth, then it is		infinitely differentia	
	FBQ	If f (z) is continuous in a closed and bounded region R, then f (z) is in the region.		bounded	
	FBQ	If we have a function		branch po	
		$\omega=f(z) \ such \ that \ \omega=f(z_0+re^{i heta}) \ takes \ on \ different \ values \ as \ heta \ increases \ by \ 2\pi, \ then \ the \ point \ \ z_0 \ \ is \ c$	called a		
		of the function.			
	FBQ	A function f (z) is complex at c if		differentia	
		$\lim z o crac{f(z)-f(c)}{z-c}$			
	EDO.				
	FBQ	A function f (z) is at c if		continuo	
		$\lim_{z o c}f(z)=f(c)$			
	FBQ	A branch point is said to be of order whenever a function w = f(z) is an n-valued function in the		n-1	
		neighbourhood $ z-z_0 <\epsilon$			
_					
	FBQ	A line which connects two and only two branch points is called a		branch cu	
	FBQ	The difference between (-4 - 3i) and (-2 -7i) is		(-2+4i)	
	FBQ	The conjugate of the conjugate of z = 2 - 3i is		z=2-3i	
	FBQ	$ f _{z_1 = 3(\cos 60 + i \sin 60)} _{and}; z_2 = 2(\cos 30 + i \sin 30) _{and}; z_1 = 2(\cos 30 + i \sin 30) _{and}; z_2 = 2(\cos 30 + i \sin 30) _{and}; z_1 = 2(\cos 30 + i \sin 30) _{and}; z_2 = 2(\cos 30 + i \sin 30) _{and}; z_1 = 2(\cos 30 + i \sin 30) _{and}; z_2 = 2(\cos 30 + i \sin 30) _{and}; z_3 = 2(\cos 30 + i \sin 30) _{and}; z_4 = 2(\cos 30 + i \sin 30) _{and}; z_5 = 2(\cos 30 + i \sin 3$		6	
_	-D-0			(0.40)	
	FBQ	The sum of (4 - 3i) and (-2 -7i) is		(2-10i)	
	FBQ	In an Argand diagram, the purely imaginary numbers lie along the		y-axis	
	FBQ	The equation $\[(\cos \theta + i \sin \theta)^n = \cos n \theta + i \sin n \theta , \]$ Z\;and\;any\;angle\;\theta\;\;best\;describes\]		De Moivre Theorem	

MCQ	If f is an infinitely differentiable function defined on an open set \[D\subset R \] then the following conditions except one are equivalent	f is real analyti
MCQ	The following are analytic functions except	Any real or complex polynomial
MCQ	The branch cut of inverse cosecant is	(-1,0)
MCQ	An example of Branch points is	0 is a branch point of the square root function.
MCQ	If f is differentiable for all points in an open disk centered at \[z_0\;then\;f\;is\;\]	holomorphic
MCQ	All but one of the following are true	If f(z) is comple differentiable, then so is cf(z) where c is a constant
MCQ	A function f(z) is complex differentiable at c if	\[\lim_{z\to c}\frac{f(z)}{c-z exists\]
MCQ	One of the following is true about a continuous function	A function f(z) continuous if it continuous at a points where it defined.
MCQ	A function f(z) is continuous at c if	\[\lim_{x\to c}f(: f (c)\]
MCQ	$\label{limits} $$ \int_{z_1 = 2(\cos 15 + i \sin 15)}; \ and \; z_2 = \frac{1}{2}(\cos 30 + i \sin 30)are\; \ complex\; \ numbers\; \ then\; \ z_1z_2\; = \dots \} $$$	\[2\frac{1}{2}(co 15 + i sin 15)(co 30 + i sin 30)\]
MCQ	Let $f(z) = u + v$ be an analytic function, one of the following statements in not correct	If f'(z) is identically zero then f(z)is a constant
MCQ	In a complex function $\{f(z) = u(x,y) + iv(x,y), \}$ is analytic in a domain D iff	there exist no relationship between u and
MCQ	All the following are true except	The sums of analytic functionare analytic
MCQ	obeys the associativity of multiplication property for complex numbers\[z_{1},z_{2},z_{3},\]	\[z_{1}\] (z_{2}z_{3})= (z_{1}z_{2})z_{4}
MCQ	Two complex numbers \$\$(a_1,b_1)\;and\;(a_2,b_2)\$\$ are equal if	a = b
MCQ	Let z = x + iy be a complex number, then the argument of z is	\[tan^{-1} \frac {y}\]
MCQ	In an Argand diagram ,the purely real numbers lie along the	x-axis
MCQ	$\label{eq:left} $$ \left(x_{1} = x_{1} + iy_{1} \right) = x_{2} = x_{2} + iy_{2}, \ \ \\ \left(x_{1} + z_{2} = \dots \right) $$$	\[x_{1} + x_{2} y_{1} + y_{2} \]
MCQ	The polar form of the complex number $z = x + iy$ is given by	\[r[cos\theta + i sin\theta]\]

