## صeExam Question Bank

## Coursecode:

Choose Coursecode

自Delete Selected Questions
$\Rightarrow$ Assign Selected Questions to eExam

Show 150 ventries

Search:

| $\square$ | Question <br> Type ل! | Question $\downarrow \uparrow$ | A $\downarrow \uparrow$ | B $\downarrow \uparrow$ | C $\downarrow \uparrow$ | D $\downarrow$ 介 | 1 |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $\square$ | MCQ | If $\mathrm{a}=\mathrm{a}$ force of 30 N , acting in the east direction. $b$ $=a$ force of 40 N , acting in the north direction. find the magnitude of the vector sum $r$ of these forces | 60N | 50N | 70 N | 30 N | E |
| $\square$ | MCQ | If $A$ is $(3,6)$ and $B$ is $(4,8)$. Find the coordinate of the midpoint of $A B$ | $\left(3 \frac{1}{2}, 7\right)$ | $\left(-2 \frac{3}{4}, 5\right)$ | $\left(3 \frac{3}{5}, 6\right)$ | $\left(3 \frac{3}{4}, 7\right)$ | $t$ |
| $\square$ | MCQ | The gradient of the line $A(4,3)$ and B( 8,6 ) | $\frac{3}{4}$ | $\frac{3}{5}$ | $\frac{1}{6}$ | $\frac{2}{5}$ | $t$ |
| $\square$ | MCQ | Find the asymptotes of the hyperbola whose equation is given as $\frac{x^{2}}{4}-\frac{y^{2}}{9}=1$ | $y= \pm \frac{4}{5} x$ | $y= \pm \frac{4}{9} x$ | $y= \pm \frac{4}{7} x$ | $y= \pm \frac{3}{7} x$ | t |
| $\square$ | MCQ | Find equation of an ellipse whose major axis is vertical, with the center located $(-1,3)$ at the distance between the center and one of the covertices equal to 4 , and the distance between the center and one of the vertices equal to 6. | $\frac{(x-1)^{2}}{16}-\frac{(y-3)^{2}}{36}=1$ | $\frac{(x-1)^{2}}{16}+\frac{(y-3)^{2}}{36}=1$ | $\frac{(x+1)^{2}}{16}+\frac{(y+3)^{2}}{36}=1$ | $\frac{(x+1)^{2}}{16}+\frac{(y-3)^{2}}{36}=1$ | [ |
| $\square$ | MCQ | Find the equation of the parabola with focus ( $-1,4$ ) and directrix $\mathrm{y}=3$ | $y=\frac{1}{2} x^{2}+x+4$ | $y=-\frac{1}{2} x^{2}+x+4$ | $y=\frac{1}{2} x^{2}-x+4$ | $y=\frac{1}{2} x^{2}+x-4$ | t |


| $\square$ | MCQ | Given the equation $9 x^{2}-16 y^{2}=14$ <br> , Find the coordinate of the foci | $F_{1}(5,0), F_{2}(-5,0)$ | $F_{1}(2,0), F_{2}(-2,0)$ | $F_{1}(3,0), F_{2}(-3,0)$ | $F_{1}(6,0), F_{2}(-5,0)$ | $t$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $\square$ | MCQ | Given the equation $9 x^{2}-16 y^{2}=14$ <br> Find the interception at $x$ | 2 | 3 | -4 | 5 | $t$ |
| $\square$ | MCQ | Given that ellipse has an equation of $9 x^{2}+4 y^{2}=36$ | $\frac{x^{2}}{3^{2}}+\frac{y^{2}}{1^{2}}=1$ | $\frac{x^{2}}{2^{2}}+\frac{y^{2}}{3^{2}}=1$ | $\frac{x^{2}}{4^{2}}+\frac{y^{2}}{3^{2}}=1$ | $\frac{x^{2}}{3^{2}}+\frac{y^{2}}{2^{2}}=1$ | E |
| $\square$ | MCQ | Find the equation of the parabola having vertex $(0,0)$ axis along the $x$ axis and pass through (2,-1) | $y^{2}=\frac{x}{3}$ | $y^{2}=\frac{x}{2}$ | $y^{2}=\frac{x}{4}$ | $y^{2}=\frac{x}{5}$ | E |
| $\square$ | MCQ | Find the focus in the equation $\backslash$ $\left[y^{\wedge}\{2\}=5 x \mid\right]$ | $FVleft(4\|frac\{1\}\{4\},0\|right)$ | $\[F \backslash$ left(3)frac\{1\}\{4\},O\|right)\] | $\backslash[F / \mathrm{left}(2 \mid \mathrm{frac}\{1\}\{4\}, 0 \backslash$ right $)$ ] | $\[F / \mathrm{left}(1 \backslash \mathrm{frac}\{1\}\{4\}, 0 \backslash \mathrm{right}) \backslash]$ | [ |
| $\square$ | MCQ | Find the focus of the parabola whose equation is $\backslash\left[y^{\wedge}\{2\}+32 x \backslash\right]$ | $F(-5,0)$ | $F(-8,0)$ | $F(-7,0)$ | $F(-6,0)$ | E |
| $\square$ | MCQ | Find the directrix of the parabola whose equation is $\backslash\left[x^{\wedge}\{2\}-30 y \backslash\right]$ | $\backslash[-7 \backslash f r a c\{1\}\{2\}]$ ] | $-8\frac 1 1\}\{2\}]] & \(\backslash[6 \mid\) frac 11\(\}\{2\} \backslash]\) & \[-5\frac\{1\}\{2\}]] & f \\ \hline \(\square\) & MCQ & Find the equation of the circle with its center at the origin with points(-3,4) on the circle & \(\backslash\left[x^{\wedge}\{2\}+y^{\wedge}\{2\}=251\right]\) & \(\backslash\left[x^{\wedge}\{2\}-y^{\wedge}\{2\}=25 \backslash\right]\) & \(\backslash\left[x^{\wedge}\{2\}+y^{\wedge}\{2\}=151\right]\) & \(\backslash\left[x^{\wedge}\{2\}-y^{\wedge}\{2\}=151\right]\) & t \\ \hline \(\square\) & MCQ & Find the radius of a circle given by \(\backslash\) [ \(x=4+2\) \|cos 1 theta, \(y=-3+2 \backslash \sin \mid\) thetal] & 5 & 2 & 4 & 6 & E \\ \hline \(\square\) & MCQ & Find the vector product \(\backslash[a l t i m e s\) bl]. If \(a=i+2 j-k\) and \(b=2 i+3 j+k\) & \(5 \mathrm{i}-3 \mathrm{j}-\mathrm{k}\) & 2i-4j-k & \(3 i+j-k\) & I-j + 3 k & f \\ \hline \(\square\) & MCQ &\begin{tabular}{l} Find the center of a center of a circle given by \} \\ [ \(x=4+2\) \|cosltheta, \\ \(y=-3+2 \backslash \sin \mid t h e t a l]\) \end{tabular} & \((5,3)\) & \((2,1)\) & (4,-3) & \((3,6)\) & c \\ \hline \(\square\) & MCQ & Find the parametric equations of a circle with centre ( \(2,-1\) ) and radius 3 & \(\backslash[x=2+3 \backslash \cos \mid\) theta, \(y=-1+3 \backslash\) sinlthetal] & \ \(\mathrm{x}=1+2 \backslash\) cos theta, \(y=-2+3 \backslash \sin \mid t h e t a l]\) & \[ \begin{aligned} & \backslash[x=2+5 \backslash \cos \mid \text { theta, } \\ & y=3 \mid \text { sinlthetal }] \end{aligned}$ | $\backslash[x=-2+5 \backslash \cos \mid$ theta, $y=-3+2 \mid$ sin\|thetal] | t |  |


| $\square$ | MCQ | Find the point of the intersection of the center $\backslash$ $\left[x^{\wedge}\{2\}+y^{\wedge}\{2\}-3 y=0 \backslash\right]$ with line $y=x-1$ | (1,0) and (2,3) | (1,0) and (2,1) | $(0,1)$ and (1,1) | $(2,3)$ and (2,2) | E |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $\square$ | MCQ | Given the equation of a circle is $\backslash$ $\left[x^{\wedge}\{2\}+y^{\wedge}\{2\}+2 x-\right.$ $6 y-15 \]$. Find the radius of the circle | 5 | 3 | 4 | 1 | t |
| $\square$ | MCQ | Given the equation of a circle is $\backslash$ $\left[x^{\wedge}\{2\}+y^{\wedge}\{2\}+2 x-\right.$ $6 y-15 \]$. Find the center of the circle | $(-1,2)$ | $(2,5)$ | $(2,5)$ | $(-1,3)$ | [ |
| $\square$ | MCQ | Find the center of the circle \} $\begin{aligned} & {\left[x^{\wedge}\{2\}+y^{\wedge}\{2\}+8 x+\right.} \\ & 6 y=0 \backslash] . \end{aligned}$ | $(-3,-4)$ | $(-4,-3)$ | $(3,4)$ | $(4,3)$ | E |
| $\square$ | MCQ | Find the radius of the circle $\backslash$ $\begin{aligned} & {\left[x^{\wedge}\{2\}+y^{\wedge}\{2\}+8 x+\right.} \\ & 6 y=0 \backslash] . \end{aligned}$ | 6 | 3 | 4 | 5 | [ |
| $\square$ | MCQ | Find the equation to the straight line passing through the point of intersection of the lines $5 x+6 y+1=0$ and $3 x+2 y+5=0$ and perpendicular to the line $3 x+5 y+11=0$ | $2 x+3 y+4=0$ | $5 x+3 y+8=0$ | $2 x+4 y+5=0$ | $3 x+2 y+7=0$ | E |
| $\square$ | MCQ | A straight line has a gradient of $\backslash$ [ $\mathrm{frac}\{5\}\{3\}]$ and it passes through the point $(1,3)$. Find its equation | $\|frac\{5\}\{3\}x-\frac\{8\}\{3\}\|] & \[\|frac\{5\}\{3\}x+\|frac\{8\}\{3\}\|] & \[\|frac \(\{1\}\{3\} x-\backslash f r a c\{2\}\{3\} \backslash]\) & \[\|frac 23\(\}\{3\} x+\mid\) frac \(\{2\}\{5\}\}]\) & \(t\) \\ \hline \(\square\) & MCQ & If \(A\) is \((3,6)\) and \(B\) is \((4,8)\). Find the coordinate of the midpoint of \(A B\) & \[left(3)frac\{1\}\{2\},7\right)$ | $lleft(-2\|frac\{3\}\{4\},51right)$ | $\[\ l e f t(3 \mid f r a c\{3\}\{5\}, 6 \backslash$ right $) \backslash]$ | $\eft(3)frac\{3\}\{4\},7\right)$ | $t$ |
| $\square$ | MCQ | The gradient of the line $A(4,3)$ and B(8,6) | $\|frac\{3\} \(\left.{ }^{\text {c }} 4\right\}\) ] \(]\) & \[ffrac\{3\}\{5\}]] & \[\|frac\{1\}\{6\}]] & \|[\|frac\{2\}\{5\}]] & \(t\) \\ \hline \(\square\) & MCQ & Find the distance between the point \(A(5,4)\) and \(B(7,6)\) & \[\|sqrt(2)] \(]\) & \[2\sqrt(2)$ | $2lsqrt(3)$ | $\|sqrt(3)$ | E |  |
| $\square$ | MCQ | A vector having direction opposite to that of vector A,buth with the same magnitude is denoted by --------- | -B | A | -A | B | c |


| $\square$ |  |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $\square$ | MCQ | If $a=2 i+4 j+3 k$ and $b=i+5 j-2 k$. Find the vector product of a and b | -3i+5j-k | $-3 i+75 j+3 k$ | $-23 i+7 j+6 k$ | -23i-7j+2k | c |
| $\square$ | MCQ | If $a=5 i+4 j+2 k$, $b=4 i-5 j+3 k$ and $\mathrm{c}=2 \mathrm{i}-\mathrm{j}-2 \mathrm{k}$. <br> Determine value $\backslash$ [aldot bl] | 10i-4j-4k | $10 \mathrm{i}+4 \mathrm{j}+4 \mathrm{k}$ | 8i-2j-4k | $10 i+4 j+4 k$ | t |
| $\square$ | MCQ | If $a=2 i+2 j-k$ and $b=3 i-6 j+2 k$. Find the scalar product $a$ and $b$ | 7i-2j-3k | 8i-22j-5k | 6i-12j-2k | 6i-3j+k | c |
| $\square$ | MCQ | Find the direction cosine [l,m,n] of the $r=2 i+4 j-3 k$ | ```\[\frac{2}\\sqrt(29)},\frac{4} {lsqrt(29)},\frac{-3} {\sqrt(29)}\]``` | ```\[\frac{2}\\sqrt(27)},\frac{4} {\sqrt(27)},\frac{-3} {\sqrt(27)}\]``` | ```\[frac{-1}\\sqrt(29)},\frac{5} {\sqrt(29)},\frac{4} {\sqrt(29)}\]``` | ```\[\frac{2}\\sqrt(27)},\frac{4} {\sqrt(27)},\frac{-3} {\sqrt(27)}\]``` | $t$ |
| $\square$ | MCQ | If $\left\{\left[Z \_\{1\}=2 i-4 j\right\}\right.$, , <br> $\left.\left[Z \_\{2\}=2 i+6 j\right\}\right]$ and $\backslash\left[Z \_\{3\}=3 i-j \backslash\right.$ find the $\backslash\left[Z_{-}\{1\}-Z_{-}\{2\}-\right.$ $\left.\left.Z_{-}\{3\}\right\}\right]$ | -6i-9j | 3i-4j | -3i-9j | 2i-5j | c |
| $\square$ | MCQ | If $\left.\backslash\left[Z \_\{1\}=3 i+5 j\right\rfloor\right]$ and $\backslash$ [Z_\{2\}=7i+3j\], find the \[Z_\{1\}-Z_\{2\}\|] | $-4 i+2 j$ | i+3j | $-2+3 j$ | $-5 i+j$ | $t$ |

Showing 1 to 35 of 35 entries

